Beyond the WIMP Miracle



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Pitt-PACC LDM workshop Nov 16, 2011

Beyond the WIMP Miracle

WIMP miracle
WIMPless
géneral framework
light dark matter
collider signature
superWIMP

















mass and interaction strengths span many, many orders of magnitude

Some Dark Matter Candidate Particles





Weak Interacting Massive Particle



WIMP miracle

<u>WIMP</u>: Weak Interacting Massive Particle

• m_{wimp}~ m_{weak}

• $\sigma_{an} \sim \alpha_{weak}^2 m_{weak}^{-2}$

$$\left. \begin{array}{l} \Omega h^2 \sim \frac{2.6 \times 10^{-10} \text{GeV}^{-2}}{\langle \sigma_A v \rangle} \\ \langle \sigma_A v \rangle \sim \frac{\alpha^2}{m_{weak}^2} 0.1 \sim 10^{-9} \text{GeV}^{-2} \end{array} \right\} \Rightarrow \Omega \ \mathbf{h}^2 \sim \mathbf{0.3}$$

naturally around the observed value

- WIMP appears in many BSM scenarios
 - lightest supersymmetric particles in SUSY models
 - lightest KK particles in extra dimension models

➡ ...

WIMP miracle

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Is it necessary to have both?



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WIMPless

WIMPless miracle

$$\Omega_X \propto rac{1}{\langle \sigma v
angle} \sim rac{m_X^2}{g_X^4}$$

only fixes one combination of dark matter mass and coupling
 m_x/g_{x²} ~ m_{weak}/g_{weak²}, Ωh² ~ 0.3

could have $m_x \neq m_{weak}$ as long as the relation holds

WIMPless DM

J.L. Feng and J. Kumar, PRL 101, 231301 (2008)
J.L. Feng, H. Tu and H. Yu, JCAP 0810, 043 (2008)
Feng, Shadmi, PRD 83, 095011 (2011)
Feng, Rentala, Surujon, 1108.4689

dark matter: no SM gauge interactions, not WIMP
naturally obtain right relic density: similar to WIMP

WIMPless miracle

J.L. Feng and J. Kumar, PRL 101, 231301 (2008)

Dark matter is hidden no SM interactions
 DM sector has its own particle content, mass mx, coupling gx

• Connected to SUSY breaking sector





$$\rightarrow \frac{m_X}{g_X^2} \sim \frac{m}{g^2} \sim \frac{F}{16\pi^2 M}$$
$$\rightarrow \Omega_X \propto \frac{1}{\langle \sigma v \rangle} \sim \frac{m_X^2}{g_X^4}$$

right relic density ! (irrespective of its mass)

- If no direct coupling to SM:
- interact only through gravity
- impact on structure formation
- no direct/indirect/collider signals



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m_Y ~ max (m_{weak}, m_X)



interaction λ XYf

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interaction λ XYf

```
    indirect detection XX → ff, YY
    direct detection Xf → Xf
    collider: 4th generation fermions
```

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interaction λ XYf

- indirect detection $XX \rightarrow ff, YY$
- direct detection $Xf \rightarrow Xf$

collider: 4thgeneration fermions

open new possibility for

- DM model parameters
- new experimental search windows













XENON 100: 1104.2549

Light dark matter

light DM with large σ_{SI}

not generic in typical WIMP

 $\sigma_{\rm SI}$: chirality flip, proportional to Yukawa coupling

A. Bottino, F. Donato, N. Fornengo and S. Scopel, PRD 68, 043506 (2003); PRD 77, 015002 (2008); PRD 78, 083520 (2008).

• can be easily accommodated in WIMPless model with connector Y

J.L. Feng, J. Kumar and L.E. Strigari, PLB 670, 37 (2008)

$$W = \sum_{i} (\lambda_{q}^{i} XY_{q_{L}} q_{L}^{i} + \lambda_{u}^{i} XY_{u_{R}} u_{R}^{i} + \lambda_{d}^{i} XY_{d_{R}} d_{R}^{i})$$

$$\begin{bmatrix} \mathbf{Y}_{qL} : & (3, 2, \frac{1}{6}) \\ \mathbf{Y}_{uR} : & (3, 1, \frac{2}{3}) \\ \mathbf{Y}_{dR} : & (3, 1, -\frac{1}{3}) \end{bmatrix}$$

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not chirality
pposite chirality
of SM quark

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Connector couple with first two gen.

• first two generations, tree level scattering $\Rightarrow \lambda \sim 0.03$



J.L. Feng and J. Kumar, PRL 101, 231301 (2008)

Connector couple with third gen.

- loop level scattering, $\lambda \sim 0.3$ -1, 10^{-1} more natural less constrained by FCNC 10^{-2} CRESST CDMS (Si) 10^{-3} TEXONO X CoGeNT $\left(\begin{array}{c} q d \\ 10^{-4} \end{array} \right)$ Q'5 10⁻⁵ q0.3 q 10^{-6} 9 00000 <u>b leele</u> q**XENON** 0.1 10^{-7} CDMS (Ge 10^{-8} 2 5 10 20 100 50 200 1 m_x (GeV)

J.L. Feng, J. Kumar and L.E. Strigari, PLB 670, 37 (2008)

• third generation

attering cross section

)05); Pierce, Weiner, Yavin (2010) r, Marfatia, Sanford (2011)

fn any BSM with fn/fp=-Z/(A-Z) ation due to

ith different

A²

pare cross-section
$$\sigma_{N}^{Z} = \sigma_{p} \frac{\sum_{i=iso.} \eta_{i} \mu_{A_{i}}^{2} \left[Z + \left(f_{n} / f_{p} \right) \left(A_{i} - Z \right) \right]^{2}}{\sum_{i} \eta_{i} \mu_{A_{i}}^{2} A_{i}^{2}}$$

 $\sigma_p M^4$

 $\sigma_A = M^4 \begin{bmatrix} f_p & f_n() \end{bmatrix}$

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Realization of IVDM in WIMPless

- or nucleon level: fp≠fn
- at quark level: $W = \sum_{i} (\lambda_{q}^{i} X Y_{q_{L}} q_{L}^{i} + \lambda_{u}^{i} X Y_{u_{R}} u_{R}^{i} + \lambda_{d}^{i} X Y_{d_{R}} d_{R}^{i})$



SI operators
 \$\mathcal{O}_i = \lambda_q^i \lambda_u^i X X \overline{u}^i u^i / m_Y + \lambda_q^i \lambda_d^i X X \overline{d}^i d^i / m_Y\$
 isospin violating
 \$f_{p,n}/M_*^2 = \sum_i (\lambda_q^i \lambda_u^i B_{u^i}^{p,n} + \lambda_q^i \lambda_d^i B_{d^i}^{p,n}) / (\sum \pi m_X m_Y)\$
 \$f_n/f_p ~ -0.7 - \lambda_{u}^1 \lambda_u^1 \lembda_{d}^1, 0.013 \lembda_{q}^1 \lambda_d^1 \lembda_{d}^1 \lembda_{d}^1 \lembda_{d}^1 \lembda_{d}^1 \lembda_{d}^1\$

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Collider constraints

$$\mathcal{O}_i = \lambda_q^i \lambda_u^i X X \bar{u}^i u^i / m_Y + \lambda_q^i \lambda_d^i X X \bar{d}^i d^i / m_Y$$

• monojet @ Tevatron: $\lambda_q \lambda_{u,d} < 1$, two orders of magnitude too weak

Feng, Kumar, Marfatia, Sanford, 1102.4331

jets+MET @ Tevatron and LHC, 1 fb⁻¹: tension with IVDM

Rajaramam, Shepherd, Tait, Wijangco, 1108.1196



X: fermion (vs. scalar)
minimal flavor violation
SU(2) breaking term ~ mq

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Collider signature: exotic quarks

Y particle appears as exotic mirror quarks Q'



Collider Signal (4th gen) T'T'→ttXX, B'B' →bbXX

J. Alwall, J.L. Feng, J. Kumar, SS 1002.3366; 1107.2919.

● differ from SUSY searches: cascade decay
● differ from usual 4th generation quark T' → Wb, B' → Wt

Collider Signature: exotic quarks

Collider Signal: T'T'→ttXX, B'B'→bbXX

- Connection to solution for Hierarchy problem
 - need top partner
 - the lighter, the more natural
 - decay straight to invisible particles
 - bottom partner

...

- appears in a general set of new physics scenarios
 - light stop/sbottom
 - asymmetric dark matter B. Dutta and J. Kumar, arXiv: 1012.1341
 - little Higgs with T-parity H.C. Cheng and I. Low, JHEP 0408, 061 (2004)
 - baryon and lepton number as gauge symmetry P. Fileviez Perez and M. B. Wise, arXiv: 1002.1754

relevant for re-examine of naturalness based on

S. Su LHC data, light stop/sbottom signatures.

Constraints

- perturbativity constraints: $m_{Q'} = y_{Q'} v$, $m_{Q'} \le 600$ GeV (if through Yukawa)
- precision electroweak data: $|m_{T'}-m_{B'}| \sim 50 \text{ GeV}$ (for SU(2) doublet)
- direct searches limits

 $B'B' \rightarrow bbXX$, similar to sbottom pair production with



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B': Tevatron Reach J. Alwall, J.L. Feng, J. Kumar, SS 1107.2919.



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J. Alwall, J.L. Feng, J. Kumar, SS 1107.2919.

- optimal cuts (after precuts)
- S/B > 0.1, more than 2 events
- Poisson statistics



B'B' →bbXX

Simulation

MadGraph - Pythia - PGS $T'\bar{T}' \to t^{(*)} X \bar{t}^{(*)} X \to bW^+ X \bar{b}W^- X$ Signal: Advance in the section is a section in the section in the section is a section in the section in the section is a section in the section is a section in the section is a section in the section in the section in the section is a section in the section in the section in the section is a section in the secti - SM backgrounds, tt, W, have MET with lepton - irreducible background: $Z \rightarrow vv + jets$ • emi-leptonic channel: isolated lepton, suppress QCD background • purely leptonic channel: suppressed cross section Similar analyses in the literature semileptonic mode, high mass, large luminosity

T. Han, R. Mahbubani, D. G. E. Walker and L. T. E. Wang, JHEP 0905, 117 (2009)

hadronic mode, spin and mass determination

P. Meade and M. Reece, Phys. Rev. D 74, 015010 (2006).

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Tevatron exclusion

- optimal cuts (after precuts)
- S/B > 0.1, more than 2 events
- Poisson statistics
- J. Alwall, J.L. Feng, J. Kumar, SS, 1002.3366

Exclusion for T' $\overline{T'} \rightarrow t X \overline{t} X$ at the Tevatron



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Tevatron exclusion

- optimal cuts (after precuts)
- S/B > 0.1, more than 2 events
- Poisson statistics

T. Aaltonen et al. [CDF Collaboration], arXiV:1103.2482





m_{T'} > 420 GeV for mX<10 GeV

m_{T'} > 370 GeV for mX<140 GeV



$$\frac{\text{WIMP}}{\text{WIMP}} \circ \frac{\text{m}_{\text{WIMP}}}{\text{m}_{\text{weak}}}^2$$

$$\underline{\text{WIMPLESS}} \quad \Omega_X \propto \frac{1}{\langle \sigma v \rangle} \sim \frac{m_X^2}{g_X^4}$$

$$\label{eq:mwimp} \begin{split} \underbrace{\textbf{WIMP}}_{\text{WIMP}} & \underbrace{\textbf{m}_{\text{WIMP}}}_{\text{g}_{\text{weak}}} \textbf{m}_{\text{weak}} \\ & \underbrace{\textbf{g}_{\text{weak}}}_{\text{g}_{X}}^2 \end{split} \\ \\ \underbrace{\textbf{WIMPLESS}}_{\text{MAPLESS}} & \underbrace{\Omega_X \propto \frac{1}{\langle \sigma v \rangle} \sim \frac{m_X^2}{g_X^4}}_{\text{g}_X^4} \quad \textbf{follow WIMP relation} \end{split}$$

Not follow WIMP relation, DM interaction << Weak interaction. Possible?

$$\label{eq:mwimp} \begin{split} \underbrace{\textbf{WIMP}}_{\textbf{WIMP}} & \underbrace{\textbf{m}_{\text{WIMP}}}_{\textbf{g}_{\text{weak}}} \textbf{m}_{\text{weak}} \\ & \underbrace{\textbf{g}_{\text{weak}}}_{\textbf{g}_{X}} \textbf{m}_{X} \textbf{m}_{X} \\ \\ \underbrace{\textbf{WIMPLESS}}_{\textbf{M}} & \underbrace{\textbf{M}_{X}}_{\textbf{g}_{X}} \propto \frac{1}{\langle \sigma v \rangle} \sim \frac{m_{X}^{2}}{g_{X}^{4}} \textbf{follow WIMP relation} \end{split}$$

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WIMP \rightarrow superWIMP + SM particles







WIMP \rightarrow superWIMP + SM particles

 $\Omega_{\text{SWIMP}} = \frac{m_{\text{SWIMP}}}{m_{\text{WIMP}}} \Omega_{\text{WIMP}}$

Feng, Rajaraman, Takayama (2003); Bi, Li, Zhang (2003); Ellis, Olive, Santoso, Spanos (2003); Wang, Yang (2004); Feng, Su, Takayama (2004); Buchmuller, hamaguchi, Ratz, Yanagida (2004); Roszkowski, Ruiz de Austri, Choi (2004); Brandeburg, Covi, hamaguchi, Roszkowski, Steffen (2005); <u>superWIMP</u>

e.g. Gravitino LSP LKK graviton axino

<u>WIMP</u>

- neutral
- charged

1.1.1



Feng, Rajaraman, Takayama (2003) Feng, SS, Takayama (2004)



Neutralino LSP vs. gravitino LSP WIMP SuperWIMP Ĝ WIMP γ̈́, χ, ĩ Ĝ LSP (DM) WIMP (DM) LSP

stau NLSP









- Decay life time
- SM particle energy/angular distribution ...

 $\Rightarrow m_{G}^{\sim}$

 $\Rightarrow m_{pl} \dots$



- Decay life time
- SM particle energy/angular distribution ...

 $\Rightarrow m_{G}^{\sim}$

 $\Rightarrow m_{pl} \dots$

- Probes gravity in a particle physics experiments!
- BBN, CMB in the lab
- Precise test of supergravity: gravitino is a graviton partner

Conclusion

- dark matter candidates naturally obtain relic density
- \Rightarrow WIMP, WIMPless, superWIMP, ...
- WIMPless miracle:
 - hidden sector dark matter with $m_X/g_X^2 \sim m_{weak}/g_{weak}^2$
 - with connector fields, allow DM-SM interactions
 - direct detection: light dark matter, IVDM,...
 - collider signatures: 4th generation quarks, T', B'
- superWIMP: WIMP → superWIMP + SM particles

$$\Omega_{\text{SWIMP}} = \frac{m_{\text{SWIMP}}}{m_{\text{WIMP}}} \Omega_{\text{WIMP}}$$